IMPROVED CAESAR CIPHER WITH RANDOM NUMBER GENERATION TECHNIQUE AND MULTISTAGE ENCRYPTION

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ABSTRACT:

Secured Communication involves Encryption process at the sending end and Decryption process at the receiving end of the communication system. Many Ciphers have been developed to provide data security. The efficiency of the Ciphers that are being used depends mainly on their throughput and memory requirement. Using of large key spaces with huge number of rounds with multiple complex operations may provide security but at the same time affects speed of operation. Hence in this paper we have proposed a method to improve Caesar cipher with random number generation technique for key generation operations. The Caesar cipher has been expanded so as to include alphabets, numbers and symbols. The original Caesar cipher was restricted only for alphabets. The key used for Caesar Substitution has been derived using a key Matrix Trace value restricted to Modulo 94. The Matrix elements are generated using recursive random number generation equation, the output of which solely depends on the value of seed selected. In this paper, we made an effort to incorporate modern cipher properties to classical cipher. The second stage of encryption has been performed using columnar transposition with arbitrary random order column selection. Thus the proposed Scheme is a hybrid version of classical and modern cipher properties. The proposed method provides appreciable Security with high throughput and occupies minimum memory space. The Method is resistant against brute-force attack with \(93!\) Combinations of keys, for Caesar encryption.

KEYWORDS:

Encryption, Decryption, Substitution, Cipher, Random Number, Recursive, Primitive root, Plaintext, Ciphertext

1. INTRODUCTION:

In Cryptography, the Caesar cipher is one of the most widely known encryption technique. Caesar cipher is a type of substitution cipher in which each letter in the plaintext is replaced by a letter some fixed number of positions down the alphabet. The encryption is represented using modular arithmetic

\[ c = (x+n) \mod 26. \]

Encryption of a letter \(x\) by a shift \(n\) can be described mathematically as \(E_n(x)=(x+n) \mod 26\). Decryption is performed as \(D_n(x)=(x-n) \mod 26\) (Wikipedia, Caesar_cipher).
If it is known that a given ciphertext is Caesar cipher, then brute-force cryptanalysis is easily performed (William Stallings, 2004, Cryptography and Network Security, 3rd edition, Pearson Education).

Hybrid approach of Caesar cipher and Columnar transposition, the combination of the two have been discussed. (Dharmendra Kumar Gupta et al, 2012). This approach is intended to propose Cipher with good features. But the key generation technique should be strengthened to thwart the efforts of cryptanalysis and also key space adapted is not sufficient.

Classical techniques and modern techniques can be combined to produce better results. Avalanche effect has been compared by changing the key value for DES, Playfair and Vigenere (Fauzan Saeed and Mustafa Rashid, 2010). The Comparative study of both classical and modern techniques have been discussed by considering playfair, Vigenere cipher, Caesar cipher, DES and Blowfish. (Sriram Ramanujam and Mrimuthu Karuppih, 2011). But the desirable requirement is to use wider key-space with high degree of security. This can be achieved by using a key-length of 128-bit or more. The data encryption technique using compression technique has been proposed in (Monodeep Banerjee et al, 2012). Thus the combination of encryption and compression provides appreciable security but the key length and efficient compression techniques are required for appreciable security.

Design of robust cipher for non-invertible matrices based on hill cipher has been discussed in (Rushdi A. Hamamreh and Moussa Farajallah, 2009). The proposed method suggests the idea of converting a given plaintext characters into two ciphertext characters. The method also suggested the use of RSA algorithm for encrypting the key used for encryption and decryption. Cryptographic techniques using graceful codes has been proposed (Prof. K. Govinda and Dr. E. Sathiyamoorth”, Multilevel Cryptography Technique using Graceful Codes “- JGRCS, Volume 2, No. 7, July 2011). This method is useful for small amount of data.

The hill cipher can be improved with the combination of Affine cipher. Affine hill cipher mixes the hill cipher with a nonlinear affine transformation. The extended system proposed a method in which matrix inverse computation has been eliminated (A. F. A. Abidin et al, 2011). Vigenere cipher is able to be cracked, because of the lack of diffusion property. The Vigenere cipher can be made Secure by using padding bits and one can diffuse the statistical properties of the messages (Phillip I Wilson and Mario Garcia, 2006). Effective key length should be adopted. The algorithm works for alphabets. Play fair cipher can be made more effective with the use of linear feedback shift register (Packirisamy Murali and Gandhi doss Senthil kumar, 2008). The desired properties of a random number generator functions are: It should be efficiently computable, the period should be large and successive values should be independent and uniformly distributed (Raj Jain, “the Computer Systems Performance analysis “, John Wiley & sons Inc.)

2. ENCRYPTION ALGORITHM:

1) Read the Plaintext Message
2) Replace the Plaintext characters by their numerical value
3) Generate a Secret key using random number generation technique
   \[ X_n = K X_{n-1} + 1 \mod n \], where K is the Seed value and n is an integer representing modulus.
4) Arrange the Secret key generated in step 3, in the matrix form of the order I X J
5) Obtain the Trace of the Matrix
   \[ \text{Secret Key Value} = (\text{Trace of the Key matrix}) \mod 94 \]
6) Perform the Caesar substitution encryption using the secret key value generated in step 5
7) Arrange the Ciphertext sequence in the order I X J
8) Obtain the transpose of the matrix I X J
9) Exclusive-or the results of step 7 and step 8
10) Perform Columnar transposition
11) Perform Permutation transposition
12) Transmit the Ciphertext.

3. DECRYPTION ALGORITHM:

1) Read the Ciphertext Message
2) Arrange them in the matrix form of order I X J
3) Obtain the transpose of the Matrix I X J
4) Exclusive-or the results of step 2 and step 3
5) Perform reverse Caesar Substitution
6) Process the Plaintext

4. ALGORITHM DESCRIPTION AND ILLUSTRATION:

The Proposed method can be applied to encrypt Plaintext messages composed of alphabets, numbers and symbols. The above characters have been assigned the numerical values as shown below.

Character Value Table:

<table>
<thead>
<tr>
<th>Character</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>!</td>
<td>0</td>
</tr>
<tr>
<td>*</td>
<td>1</td>
</tr>
<tr>
<td>#</td>
<td>2</td>
</tr>
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<td>$</td>
<td>3</td>
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<td>%</td>
<td>4</td>
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<td>6</td>
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<td>7</td>
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<td>)</td>
<td>8</td>
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<td>+</td>
<td>9</td>
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<tr>
<td>+</td>
<td>10</td>
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<tr>
<td>'</td>
<td>11</td>
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<td>-</td>
<td>12</td>
</tr>
<tr>
<td>Character</td>
<td>Value</td>
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<td>-----------</td>
<td>-------</td>
</tr>
<tr>
<td>J</td>
<td>41</td>
</tr>
<tr>
<td>K</td>
<td>42</td>
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<tr>
<td>L</td>
<td>43</td>
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<tr>
<td>M</td>
<td>44</td>
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<tr>
<td>N</td>
<td>45</td>
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<tr>
<td>O</td>
<td>46</td>
</tr>
<tr>
<td>P</td>
<td>47</td>
</tr>
<tr>
<td>Q</td>
<td>48</td>
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<tr>
<td>R</td>
<td>49</td>
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<tr>
<td>S</td>
<td>50</td>
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<tr>
<td>T</td>
<td>51</td>
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<tr>
<td>U</td>
<td>52</td>
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<tr>
<td>V</td>
<td>53</td>
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<tr>
<td>W</td>
<td>54</td>
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<tr>
<td>X</td>
<td>55</td>
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<tr>
<td>Y</td>
<td>56</td>
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<td>Z</td>
<td>57</td>
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<td>[</td>
<td>58</td>
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<td>60</td>
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<td>^</td>
<td>61</td>
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<td>_</td>
<td>62</td>
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<td>`</td>
<td>63</td>
</tr>
<tr>
<td>A</td>
<td>64</td>
</tr>
<tr>
<td>B</td>
<td>65</td>
</tr>
<tr>
<td>C</td>
<td>66</td>
</tr>
<tr>
<td>D</td>
<td>67</td>
</tr>
<tr>
<td>E</td>
<td>68</td>
</tr>
<tr>
<td>F</td>
<td>69</td>
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<tr>
<td>G</td>
<td>70</td>
</tr>
<tr>
<td>H</td>
<td>71</td>
</tr>
<tr>
<td>I</td>
<td>72</td>
</tr>
<tr>
<td>J</td>
<td>73</td>
</tr>
<tr>
<td>K</td>
<td>74</td>
</tr>
<tr>
<td>L</td>
<td>75</td>
</tr>
</tbody>
</table>
Encryption operation is expressed as:
\[ C = E(P) = (P + K) \mod 94 \]

“K” can take any Value in the range 0 to 93.

Decryption operation is expressed as:
\[ P = D(C) = (C - K) \mod 94 \]

“K” can take any Value in the range 0 to 93.

Algorithm Illustration
Consider a plaintext Message which is to be encrypted using the proposed algorithm.

“This Message is very Secret OK”.

Now replace each character of the Plaintext message by its numerical value and arranging them in 5 X 5 Matrix form, we get the following set of values.

\[
\begin{array}{c}
T=51 & h=71 & i=72 & s=82 & M=44 \\
& s=82 & e=68 & a=64 & g=70 & e=68 & i=72 \\
V=85 & e=68 & r=85 & y=88 & S=50 & e=68 & c=66 & r=85 & e=68 & t=83 & O=46 & K=42 \\
\end{array}
\]
Now to encrypt the Plaintext, generate the key using random number generation technique using recursive equation.

Consider Multiplicative Linear Congruential Generators (LCGs) for random generation.

\[ X_n = a \cdot X_{n-1} \mod m. \]

Multiplicative LCG will be a full-period generator if and only if the multiplier “a” is a primitive root of the modulus m.

Let \( m = 31 \), a prime number

\[ a = 3 \ (a \text{ primitive root of } m) \]

\[ X_n = 3 \cdot X_{n-1} \mod 31 \]

This is the equation for key generation using random number generation technique.

Let the Seed Value be \( X_0 = 1 \)

Then \( X_1 = 3 \cdot X_0 \mod 31 \)

\[ X_1 = 3 \cdot 1 \mod 31 = 3, \]

\[ X_2 = 3 \cdot 3 \mod 31 = 9, \]

\[ X_3 = 3 \cdot 9 \mod 31 = 27 \]

and Similarly \( X_4 = 19, \ X_5 = 26, \ X_6 = 16, \ X_7 = 17, \ X_8 = 20, \ X_9 = 29, \ X_{10} = 25, \ X_{11} = 13, \ X_{12} = 8, \ X_{13} = 24, \ X_{14} = 10, \ X_{15} = 30, \ X_{16} = 28, \ X_{17} = 22, \ X_{18} = 4, \ X_{19} = 12, \ X_{20} = 5, \ X_{21} = 15, \ X_{22} = 14, \ X_{23} = 11, \ X_{24} = 2. \]

Considering the 25 random numbers and arranging them in 5 X 5 matrix form, we get:

\[
\begin{bmatrix}
01 & 03 & 09 & 27 & 19 \\
26 & 16 & 17 & 20 & 29 \\
25 & 13 & 08 & 24 & 10 \\
30 & 28 & 22 & 04 & 12 \\
05 & 15 & 14 & 11 & 02 \\
\end{bmatrix}
\]

The Key required to perform Caesar Encryption is derived from the Random Number Matrix as:

Key = [Trace of random number Matrix 5x5] Mod 94

Trace of the Above Matrix = \( [01 + 16 + 08 + 04 + 02] = 31 \)

Key = [TRACE Mod 94] = 41 Mod 94 = 41

So the Key required to perform Caesar Encryption is 41.

The Caesar Encryption is described by the equation

\[ C = (P + K) \mod 94 \]
The Plaintext Message Considered for Encryption is “This Message is Very Secret OK”.
The Matrix form of the numerical Values of the above Plaintext Message is represented below.

\[
\begin{bmatrix}
51 & 71 & 72 & 82 & 44 \\
68 & 82 & 82 & 64 & 70 \\
68 & 72 & 82 & 85 & 68 \\
85 & 88 & 50 & 68 & 66 \\
85 & 68 & 85 & 46 & 42
\end{bmatrix}
\]

Adding the Key Value K to each Plaintext Character and taking Modulus 94, we get

\[
\begin{bmatrix}
51 + 41 & 71 + 41 & 72 + 41 & 82 + 41 & 44 + 41 \\
68 + 41 & 82 + 41 & 82 + 41 & 64 + 41 & 70 + 41 \\
68 + 41 & 72 + 41 & 82 + 41 & 85 + 41 & 68 + 41 \\
85 + 41 & 88 + 41 & 50 + 41 & 68 + 41 & 66 + 41 \\
85 + 41 & 68 + 41 & 83 + 41 & 46 + 41 & 42 + 41
\end{bmatrix}
\]

The resultant Ciphertext Matrix is:

\[
C = \begin{bmatrix}
92 & 18 & 19 & 29 & 85 \\
15 & 29 & 29 & 11 & 17 \\
15 & 19 & 29 & 32 & 15 \\
32 & 35 & 91 & 15 & 13 \\
32 & 16 & 30 & 87 & 83
\end{bmatrix}
\]

The Transpose of the above Matrix is:

\[
CT = \begin{bmatrix}
92 & 15 & 15 & 32 & 32 \\
18 & 29 & 19 & 35 & 16 \\
19 & 29 & 29 & 91 & 30 \\
29 & 11 & 32 & 15 & 87 \\
85 & 17 & 15 & 13 & 83
\end{bmatrix}
\]

Exclusive-Or the Matrices C and CT we get:

\[
C \oplus CT = \begin{bmatrix}
0 & 29 & 28 & 61 & 23 \\
29 & 0 & 14 & 40 & 1 \\
28 & 14 & 0 & 29 & 17 \\
61 & 40 & 29 & 0 & 90 \\
23 & 1 & 17 & 90 & 0
\end{bmatrix}
\]

Now Performing Columnar Transposition on the above Matrix in a random order Column selection: C4, C1, C3, C1, C0.
Reading the Above Matrix in the above Order and making a single row we get:
\[ C = 23 \ 1 \ 17 \ 90 \ 0 \ 29 \ 0 \ 14 \ 40 \ 1 \ 61 \ 40 \ 29 \ 0 \ 14 \ 40 \ 1 \ 0 \ 29 \ 28 \ 61 \ 23 \]

Now replacing each numerical value by its character representation from the table, the Ciphertext sequence would be as follows.

Ciphertext = 8 “ 2 { ! > ! / I “ ^ I > ! { > ! / I “ ! > = ^ 8

The Next step is to perform the Transposition Technique on the above ciphertext sequence by performing Permutation as \[ C = C_3 \ C_8 \ C_23 \ C_17 \ C_0 \ C_6 \ C_24 \ C_9 \ C_14 \ C_2 \ C_13 \ C_7 \ C_1 \ C_16 \ C_10 \ C_15 \ C_21 \ C_17 \ C_20 \ C_19 \ C_18 \ C_12 \ C_11 \ C_4 \ C_5 \]

The Final Ciphertext Message is:
Ciphertext \( C = \{ I ^ / 8 ! 8 “ \ { 2 ! / “ ^ > > / ! “ I > I ! > \)

The Decryption is performed in the reverse Order.

The input to the decryption algorithm is the above ciphertext sequence. Performing the reverse Permutation, we get \( C = C_0 \ C_1 \ C_2 \ C_3 \ C_4 \ C_5 \ C_6 \ C_7 \ C_8 \ C_9 \ C_{10} \ C_{11} \ C_{12} \ C_{13} \ C_{14} \ C_{15} \ C_{16} \ C_{17} \ C_{18} \ C_{19} \ C_{20} \ C_{21} \ C_{22} \ C_{23} \ C_{24} \).

Representing ciphertext in the Matrix form and performing \( C \oplus CT \), we get Partial Plaintext. Using the Secret Key and decrypting, the resultant Plaintext would be “This Message is Very Secret OK”.

5. FEATURES OF THE PROPOSED ALGORITHM:

- Key length of the Algorithm is 100-bits
- Brute force attack requires 93! Attempts, which makes the algorithm more robust
- The proposed algorithm includes rich character set compare to Caesar cipher
- The algorithm occupies memory approximately equal to 5 Kb
- The algorithm works very fast with 1 µS/byte
6. COMPARISON OF THE PROPOSED METHOD WITH OTHER METHODS:

![Comparison of Algorithms with respect to Key Length](image)

From the above graph, it is clear that the proposed method is highly resistant to cryptanalytic attacks. The proposed method involves $93!$ key combinations. The method used to generate key is based on Random number generation principle. Hence key generation is purely based on Seed input to random number generator. Thus by selecting different seed values, different random number series can be generated which can be effectively used as key values after suitable manipulations. Thus the proposed method is a very effective cryptographic method.

6. RESISTANCE OF THE ALGORITHM:

Brute force Attack: Caesar cipher requires 25 different key Values to obtain the Plaintext. Method[3] involves 9 digits key which approximately equal to $2^{36}$ alternate keys. The proposed method involves 100 bit key value. The modern DES algorithm involves 56 bit key value. Thus the proposed method exhibits more resistance against cryptanalytic attacks.

7. CONCLUSION:

Data Security is a very important aspect. The throughput and memory requirements are the two important factors to be considered while designing ciphers. Classical ciphers can be made effective and used for providing security by adding the properties possessed by the modern ciphers. The key generation play a crucial role in designing the ciphers. The key should be truly random to increase confusion property of the cipher. The present paper has been designed with
Caesar cipher concept and transposition techniques to provide effective security. The system can be further improved by using modular arithmetic and exponential mathematical operations. The proposed method provides high throughput and occupies less memory.

8. REFERENCES:


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